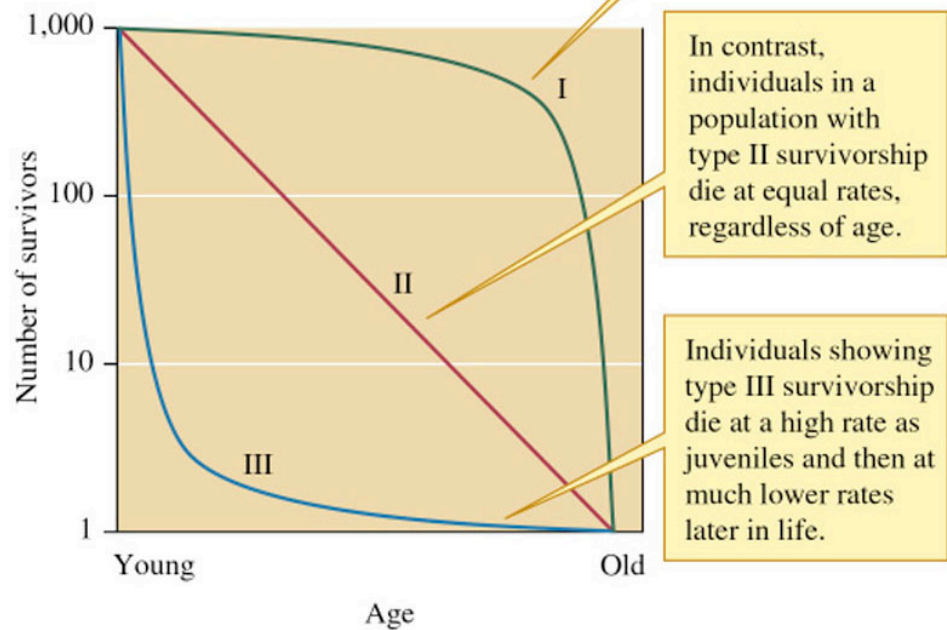


Survivorship curves

Everything dies, but on different schedules



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Table 10.1

Combining survivorship with seed production by *P. drummondii* to estimate net reproductive rate, R_0

	Age (days)	Number surviving to day x	Proportion surviving to day x	Average number of seeds per individual during time interval	Multiplication of l_x and m_x
	x	n_x	l_x	m_x	$l_x m_x$
0	0–299	996	1.0000	0.0000	0.0000
299	299–306	158	0.1586	0.3394	0.0532
306	306–313	154	0.1546	0.7963	0.1231
313	313–320	151	0.1516	2.3995	0.3638
320	320–327	147	0.1476	3.1904	0.4589
327	327–334	136	0.1365	2.5411	0.3470
334	334–341	105	0.1054	3.1589	0.3330
341	341–348	74	0.0743	8.6625	0.6436
348	348–355	22	0.0221	4.3072	0.0951
355	355–62	0	0.0000	0.0000	0.0000

Data from Leverich and Levin 1979.

The value of R_0 , which is greater than 1.0, indicates that this population of *P. drummondii* is growing.

$$T = \frac{\sum x l_x m_x}{R_0}$$

$$R_0 = \sum l_x m_x = 2.4177$$

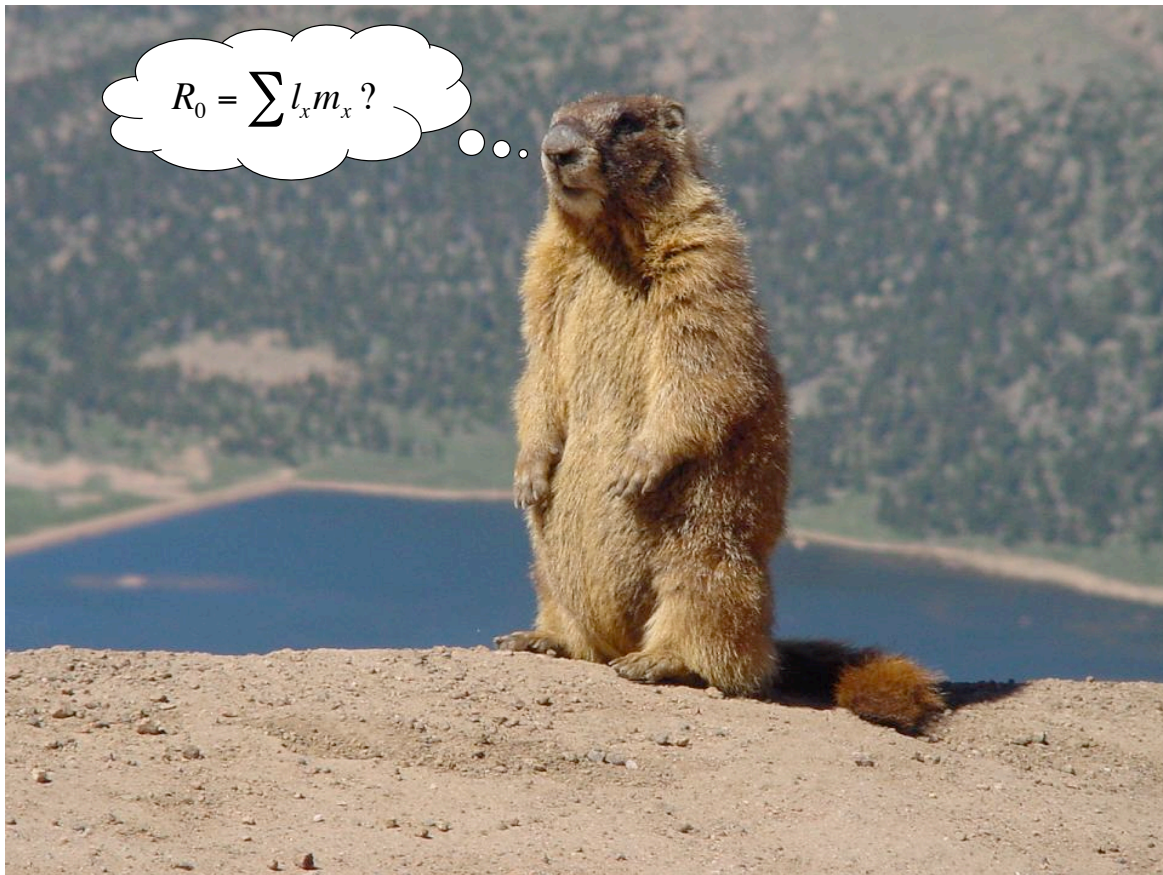
Summing the final column yields R_0 , the net reproductive rate per individual.

Each individual leaves an average of 2.4177 offspring.

Life table

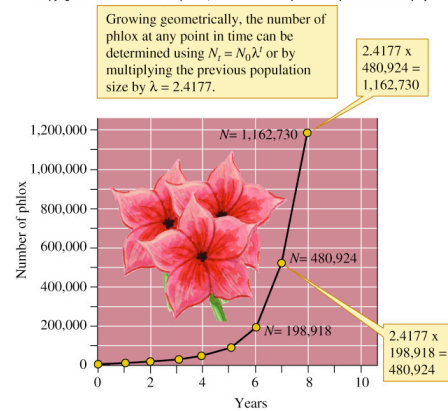
What are the units of R_0 ?

What are the units of T ?

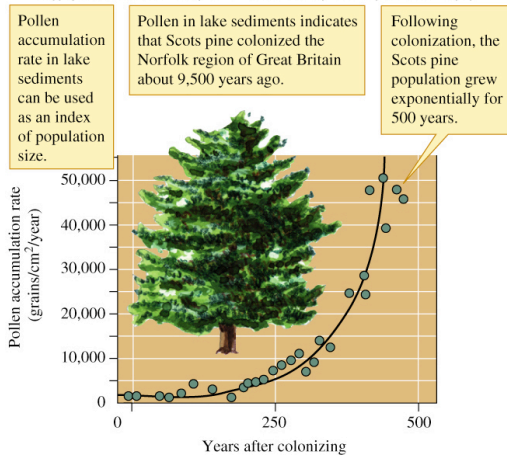


Exponential growth

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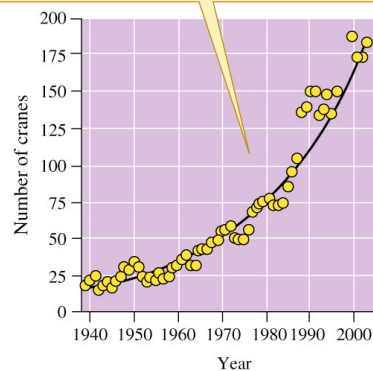


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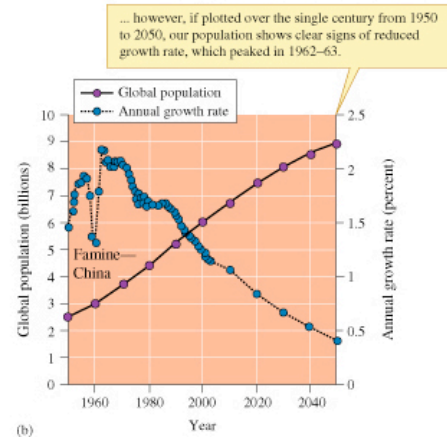
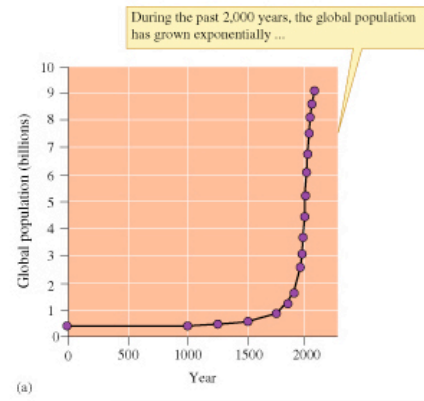
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Since their protection in 1940, the whooping crane population has grown exponentially from 15 adults to over 180.

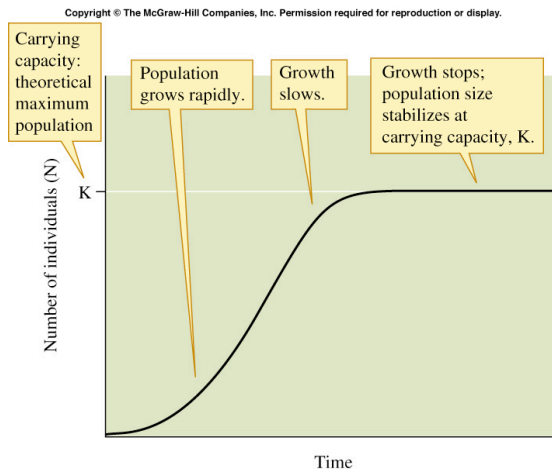


Human population

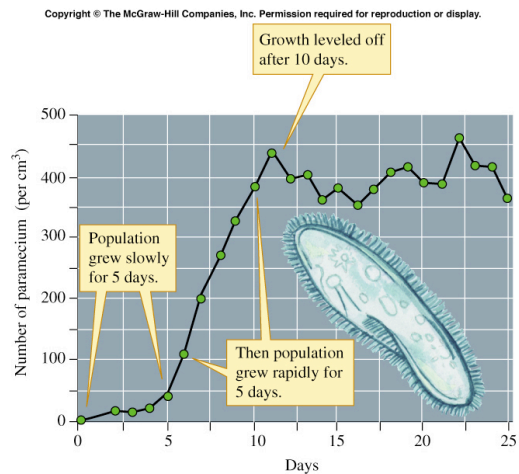
Where will it stop...



Gotta stop somewhere - logistic growth

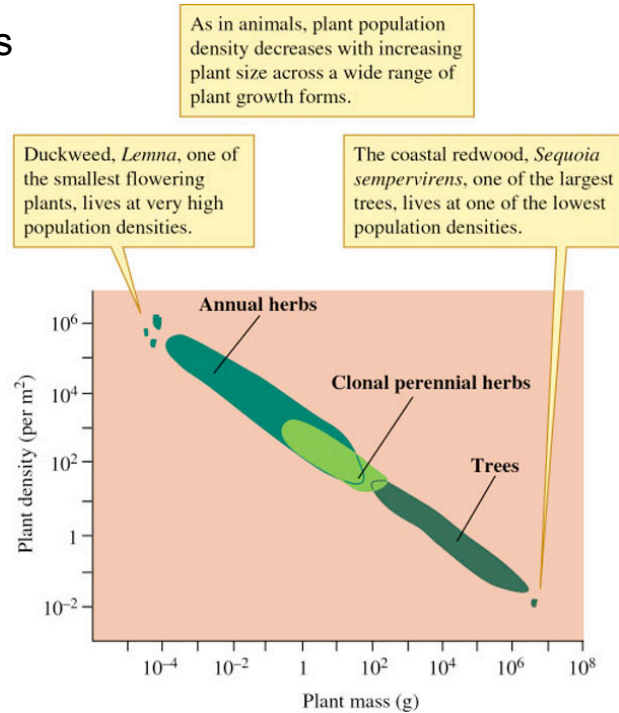


What influences K ?

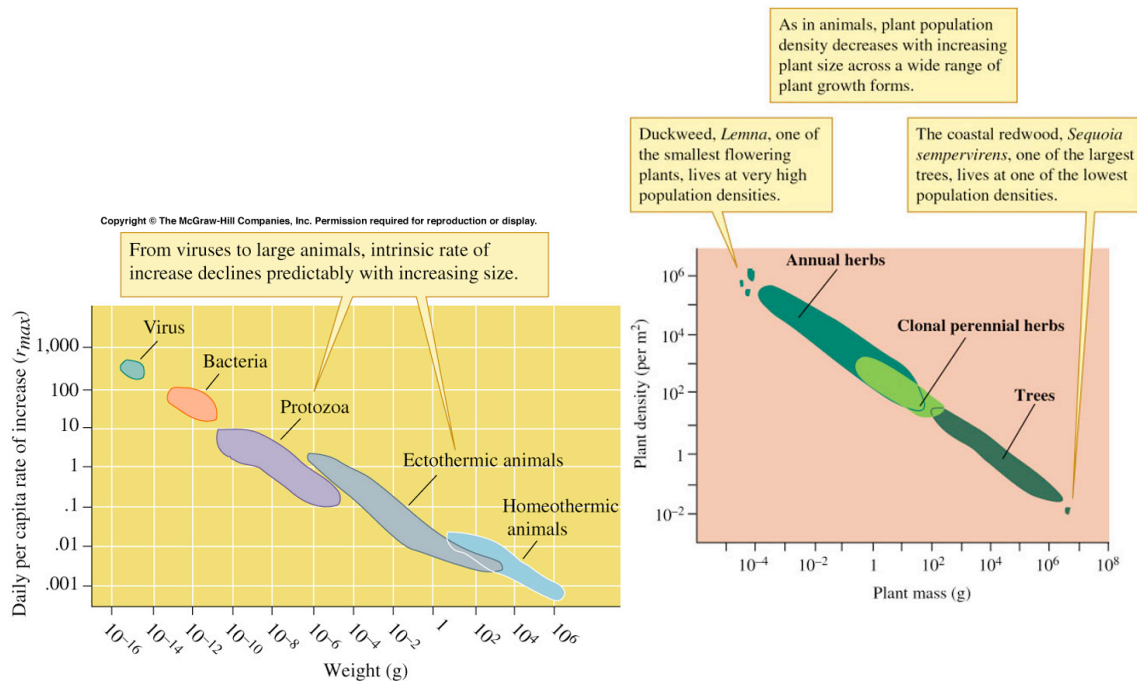


Damuth's rule

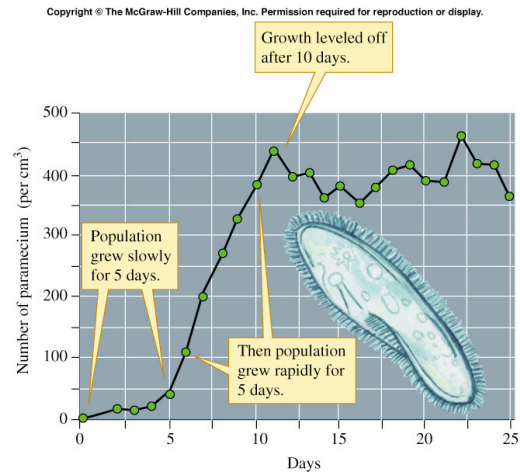
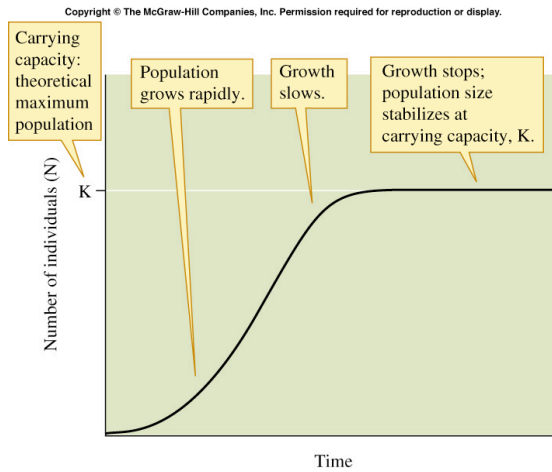
Population size decreases
with body size



r_{\max} changes with size too



Why do natural populations fluctuate?

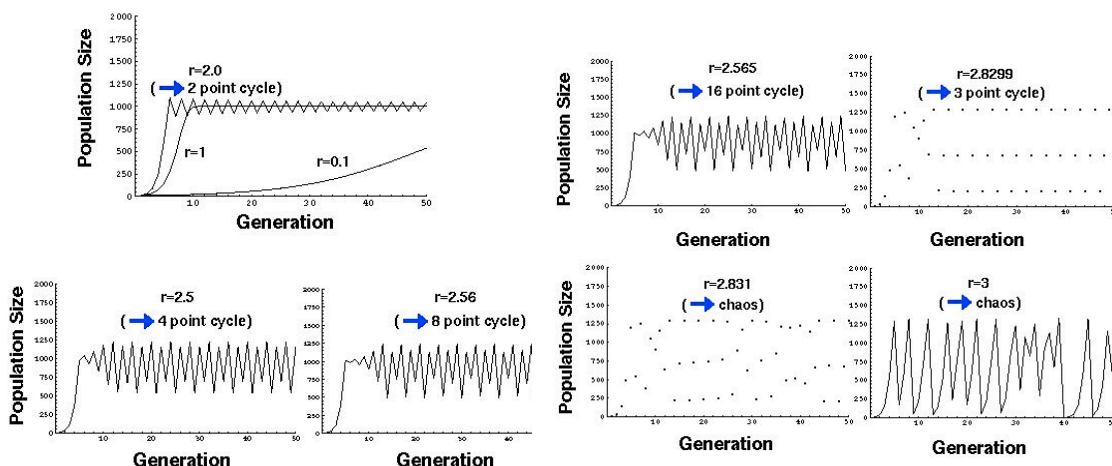


CHAOS?

Discrete logistic models

(Lord) Robert May
(1974 Science)

VERY sensitive to r_{\max}



Sensitivity to initial conditions